

MoreVision Report



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DOCUMENT TITLE

Weld problems brought to the attention of John Doyle by engineers attending the ExcelCalcs "Fatigue of Welded Structures" course in Dallas July 2011

Prepared for Client: Atlas Copco

Revision History

Revision	Description	Date	Prepared by	Checked by	Approved by
Rev. 01	First Issue preliminary results for client review.		John Doyle		

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1 Attendees Weld/Fatigue Problems

This report documents the problems brought to the attention of John Doyle by engineers attending the ExcelCalcs "Fatigue of Welded Structures" course in Dallas July 2011. It sets out his response in the form of ad hoc calculations. The problem and solution are described at the start of each section.

Given the type and nature of the problems presented it was concluded that all the course elements needed to be covered so that problems could be diagnosed correctly.

- Weld Static Strength – see problem in section 1.2 & 1.4
- Classic Fatigue Problems – see problem in section 1.5
- Fatigue of Welded Structures – see problem in section 1.1 & 1.3
- Case Studies – problem in see section 1.1

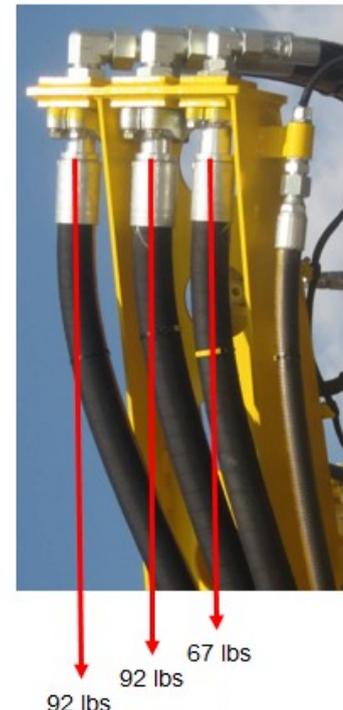
1.1 Peter's Hose Bracket Problem

Peter showed John Doyle a problem where a hose bracket was cracking prematurely.

SOLUTION: John performed a modal analysis of the bracket and showed that one mode was coincident with the 30 Hertz hammer frequency which would give rise to resonance. The mode of vibration showed highest stress at the exact location where cracks were discovered. Assuming 2% damping which is typical of welded steel structures an impact factor is calculated. Redesign a stiffer bracket to separate its first mode of vibration at least 1.41 times greater than the forcing 'hammer' frequency.

Overview of Current Designs

- Hose bracket is mounted to rotary head and supports hydraulic hoses.
- Filter bracket is mounted to hose bracket and supports lube oil filter (15 lbs)
- Rotary head experiences vibration from hammer drilling



Filter Bracket Failure

- Filter bracket fails between skip welds and nearby slots



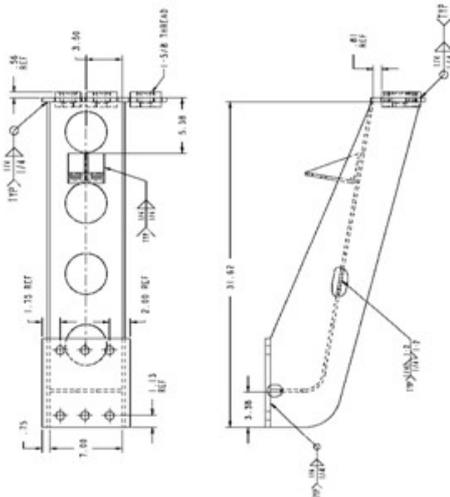
End of skip weld

Macgyver??



Hose Bracket Failure

- Crack originates at the tip of the weld on the heavily loaded side



Purpose of calculation:

Calculate an impact factor applicable to forced vibration of a single degree of freedom.

Calculation Reference

Schaum's Mechanical Vibrations

Amazon.com

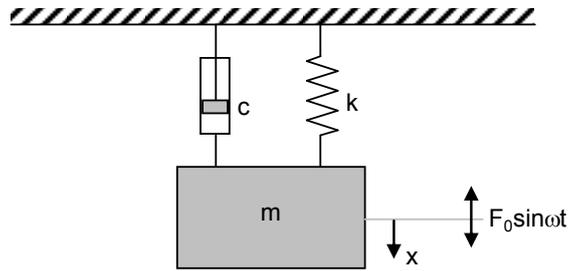
Amazon.co.uk

Amazon.fr

Amazon.de

Amazon.ca

Calculation Validation



Amplitude of alternating force

$$F_0 = 11193 \text{ N}$$

Mass

$$m = 3.700 \text{ Te}$$

Natural frequency

$$F_n = 30.451 \text{ Htz}$$

Natural frequency of system

$$\omega_n = 191.3 \text{ rads/sec} = 2\pi F_n$$

Stiffness

$$k = 135445 \text{ N/mm} = m\omega_n^2$$

Time period of oscillating force

$$T_w = 0.0333333 \text{ s}$$

Frequency of load application

$$F_{\text{Load}} = 30.0 \text{ Hertz} = 1 / T_w$$

Frequency of load application

$$\omega = 188.5 \text{ rads/sec} = 2\pi F_{\text{Load}}$$

damping factor

$$\zeta = 10\% \text{ assumed (typical for steel structures)}$$

System damping coefficient

$$c = 141.6 \text{ Ns/mm} = 2m\zeta\omega_n$$

Static deflection

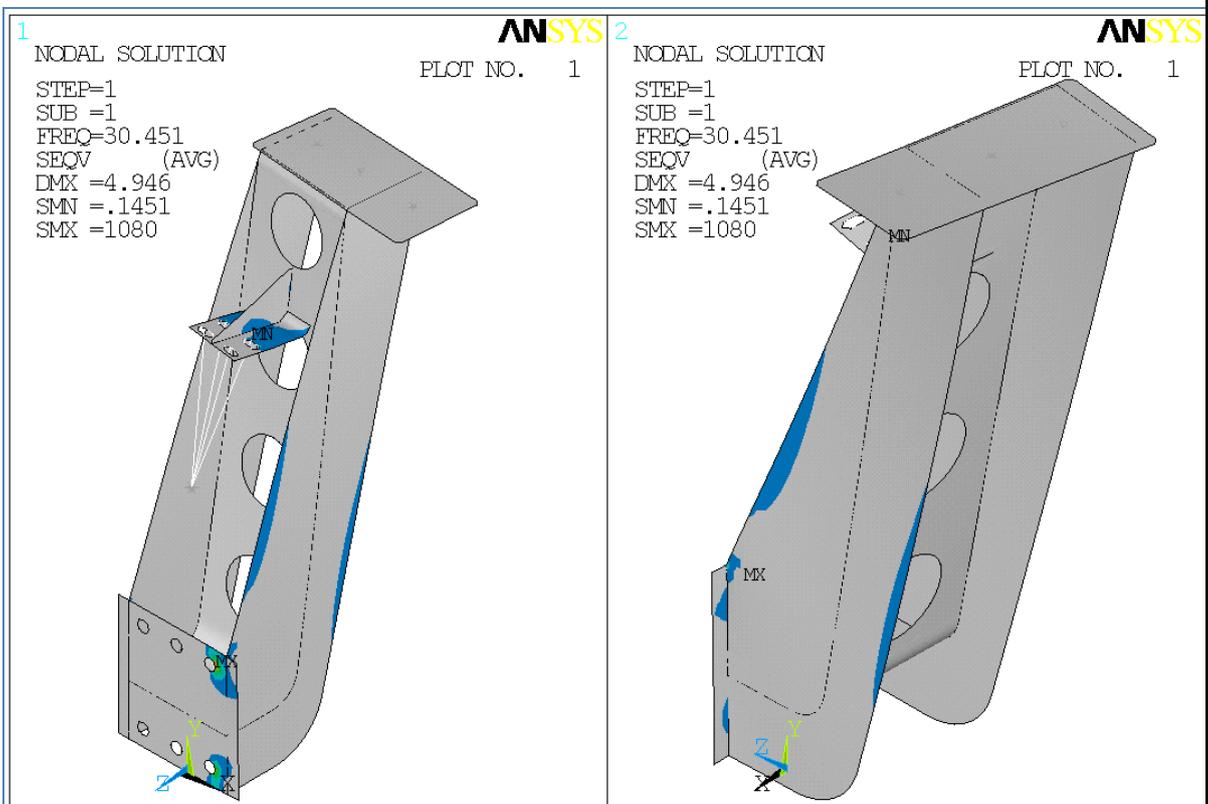
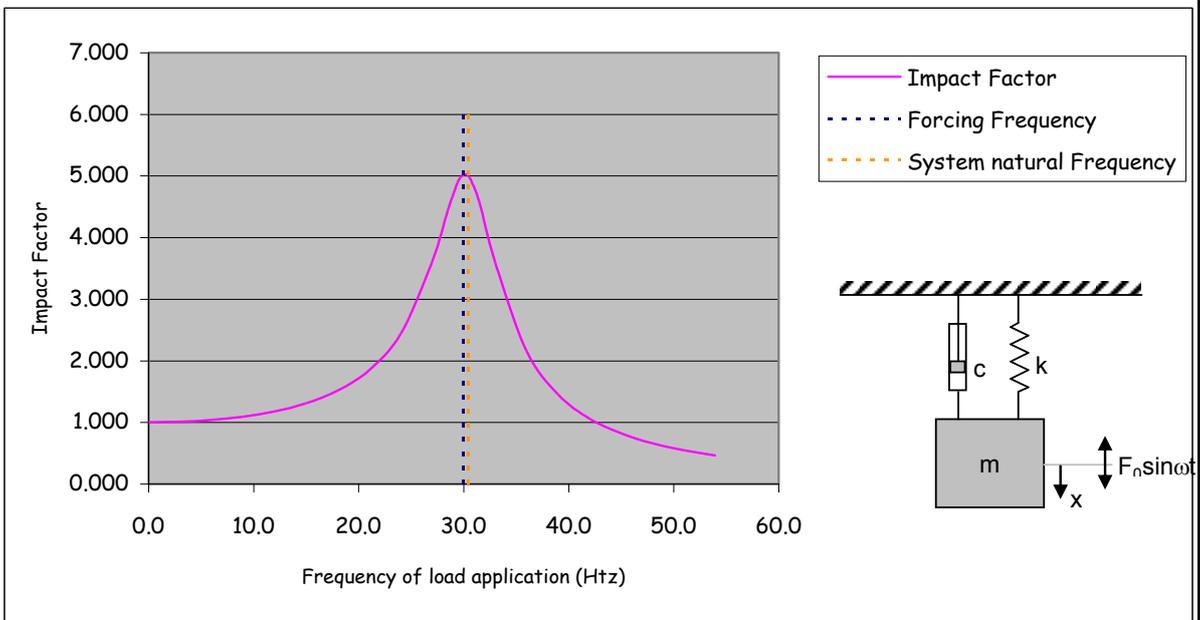
$$x_0 = 0.1 \text{ mm} = F_0 / k$$

Dynamic amplitude of deflection

$$x_w = 0.4 \text{ mm} = \frac{F_0}{\sqrt{\{k - m\omega^2\}^2 + \{c\omega\}^2}}$$

Impact Factor

$$F_{\text{imp}} = 5.020 = \frac{x_w}{x_0}$$



Fundamental mode of vibrations is coincident with 30hertz hammer frequency. Thus large dynamic amplification.

Purpose of calculation:

Calculate an impact factor applicable to forced vibration of a single degree of freedom.

Calculation Reference

Schaum's Mechanical Vibrations

Amazon.com

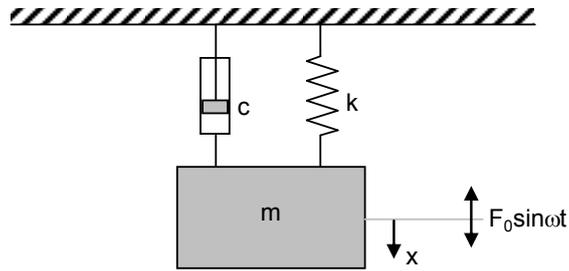
Amazon.co.uk

Amazon.fr

Amazon.de

Amazon.ca

Calculation Validation



Amplitude of alternating force

$$F_0 = 11193 \text{ N}$$

Mass

$$m = 3.700 \text{ Te}$$

Natural frequency

$$F_n = 38 \text{ Htz}$$

Natural frequency of system

$$\omega_n = 238.8 \text{ rads/sec} = 2\pi F_n$$

Stiffness

$$k = 210925 \text{ N/mm} = m\omega_n^2$$

Time period of oscillating force

$$T_w = 0.0333333 \text{ s}$$

Frequency of load application

$$F_{\text{Load}} = 30.0 \text{ Hertz} = 1 / T_w$$

Frequency of load application

$$\omega = 188.5 \text{ rads/sec} = 2\pi F_{\text{Load}}$$

damping factor

$$\zeta = 10\% \text{ assumed (typical for steel structures)}$$

System damping coefficient

$$c = 176.7 \text{ Ns/mm} = 2m\zeta\omega_n$$

Static deflection

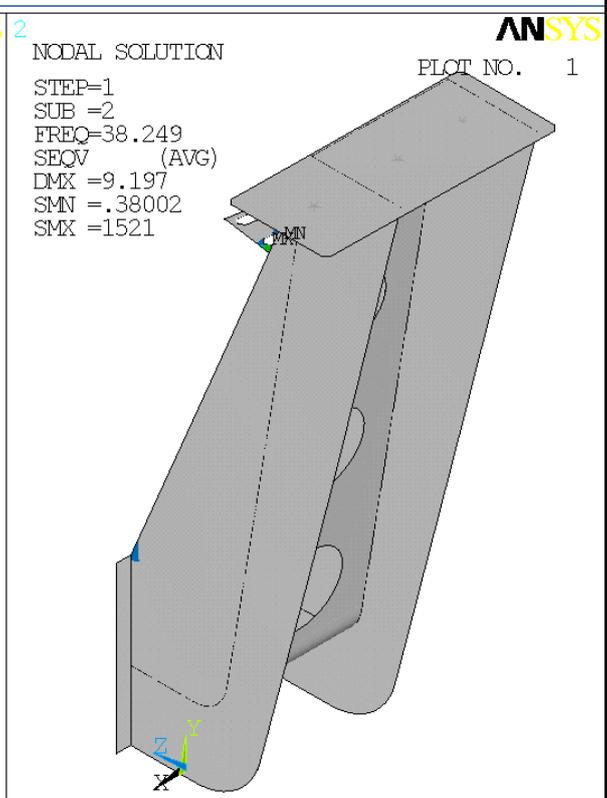
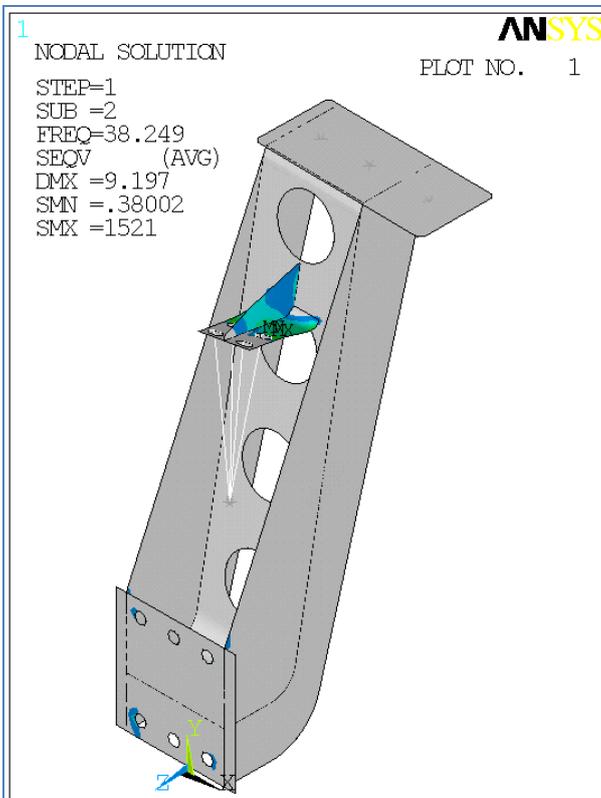
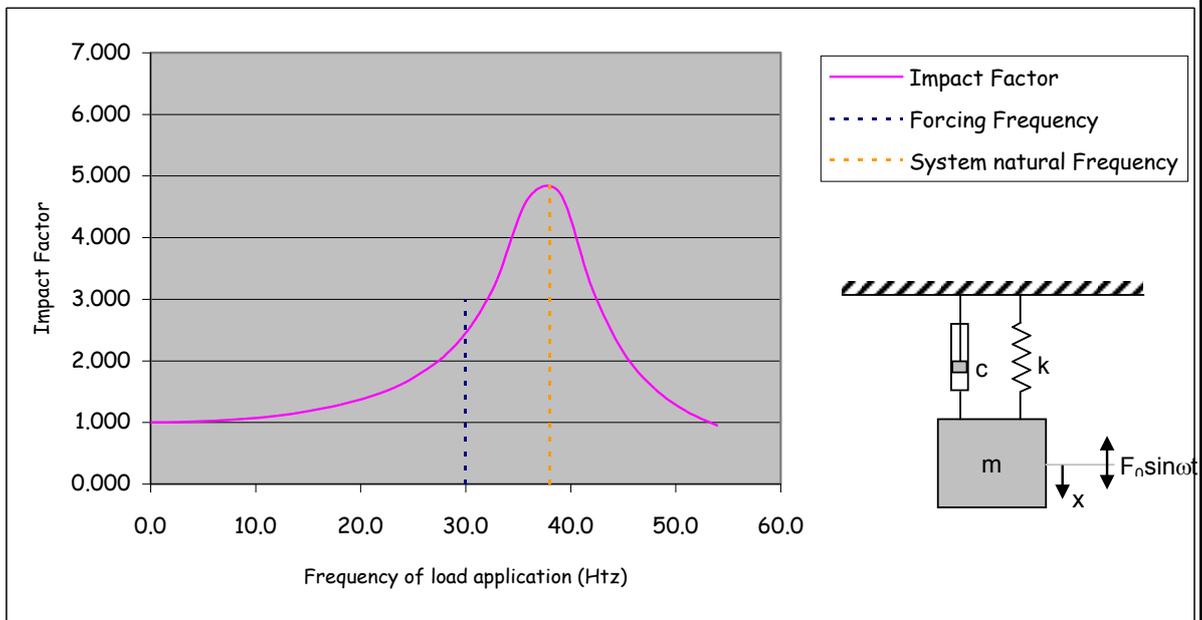
$$x_0 = 0.1 \text{ mm} = F_0 / k$$

Dynamic amplitude of deflection

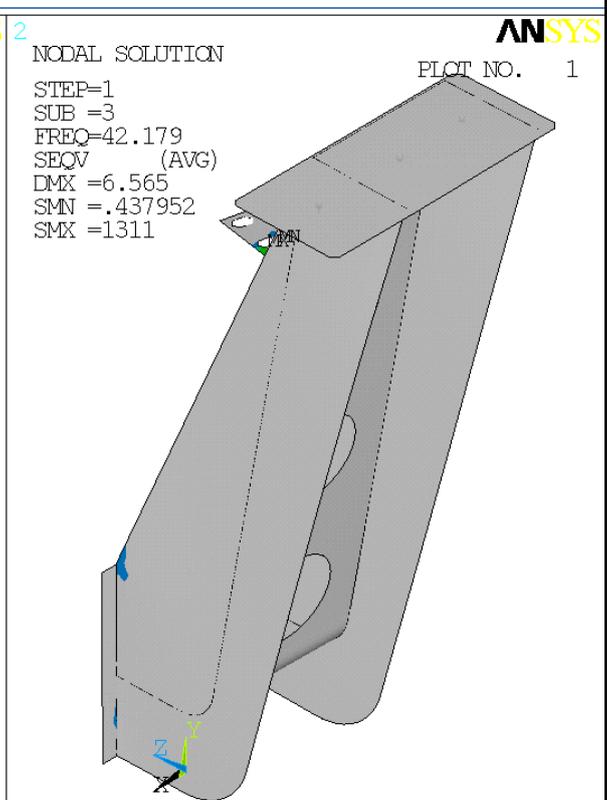
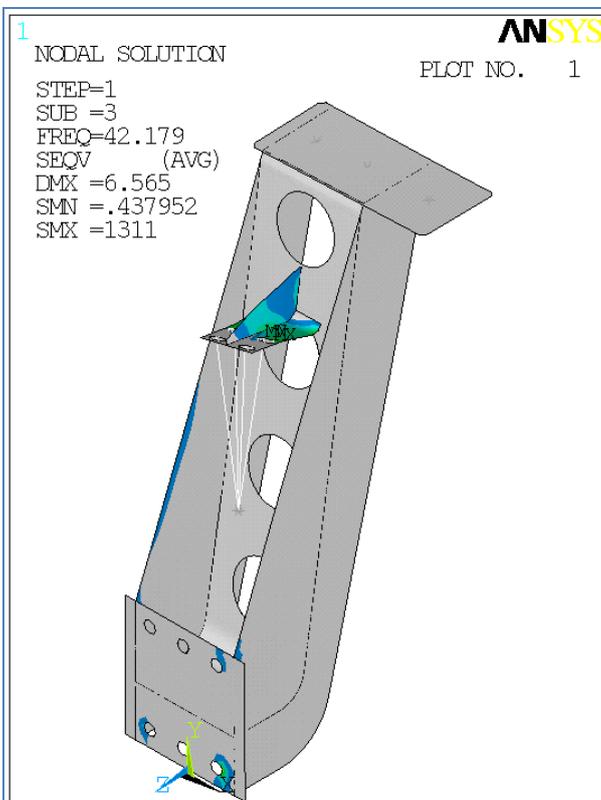
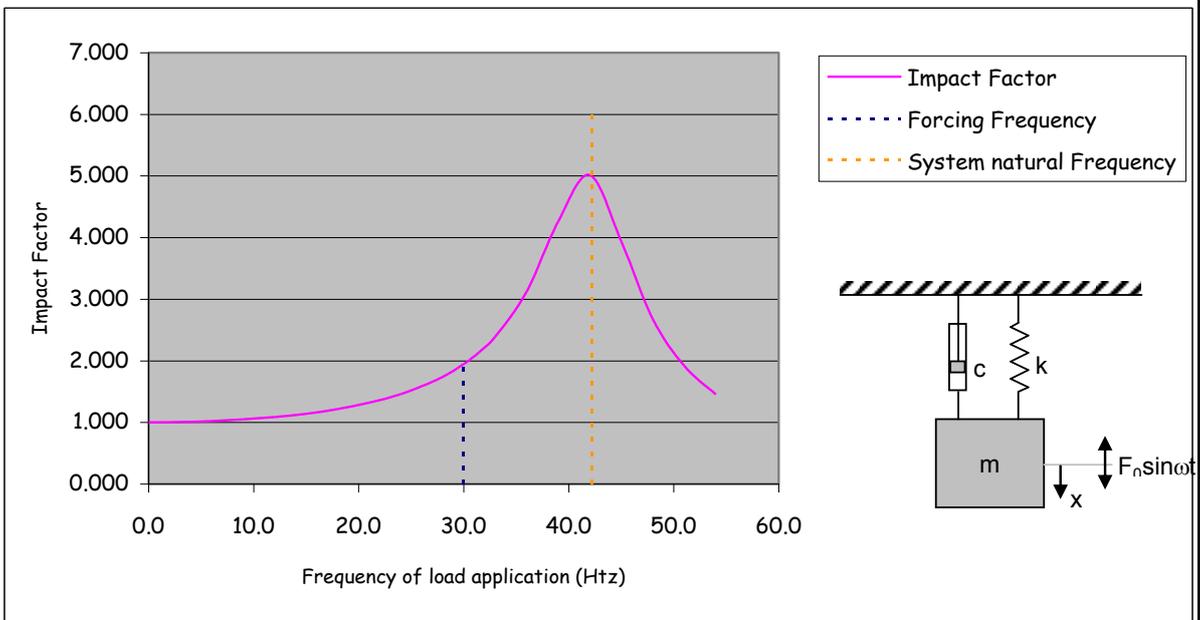
$$x_w = 0.1 \text{ mm} = \frac{F_0}{\sqrt{\{k - m\omega^2\}^2 + \{c\omega\}^2}}$$

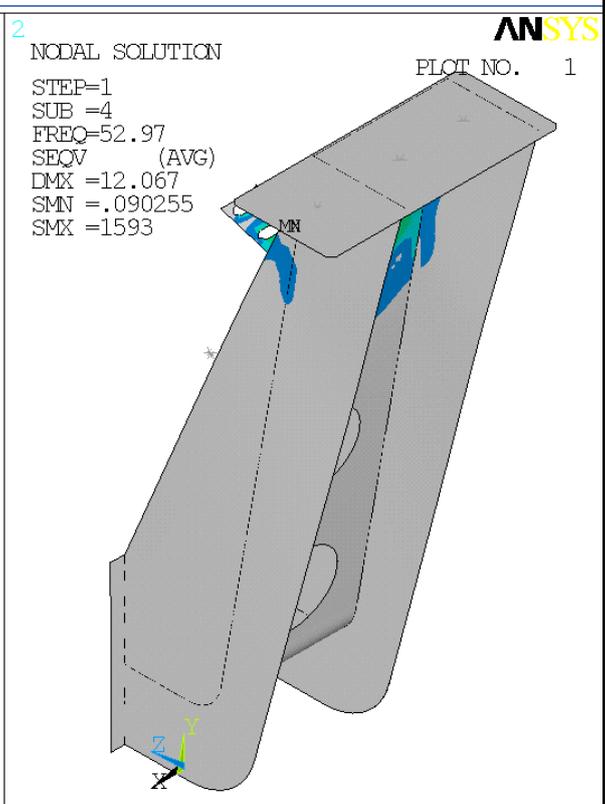
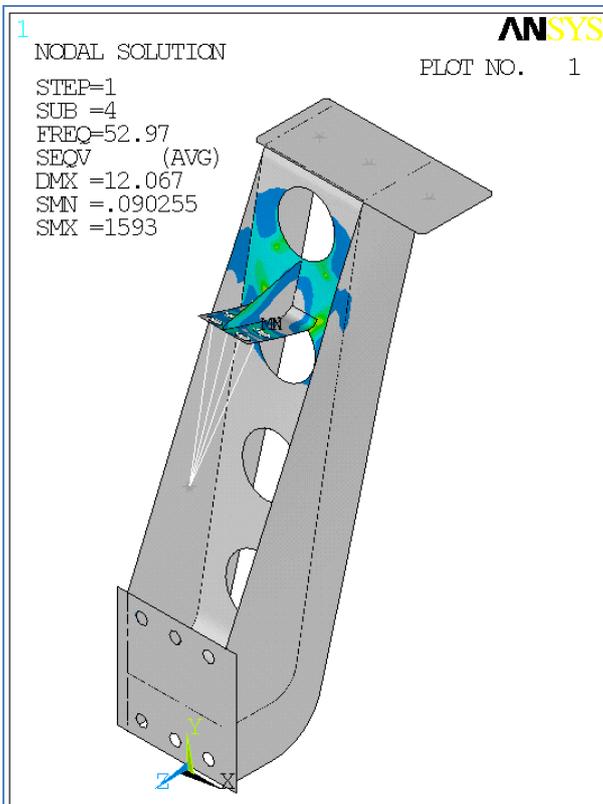
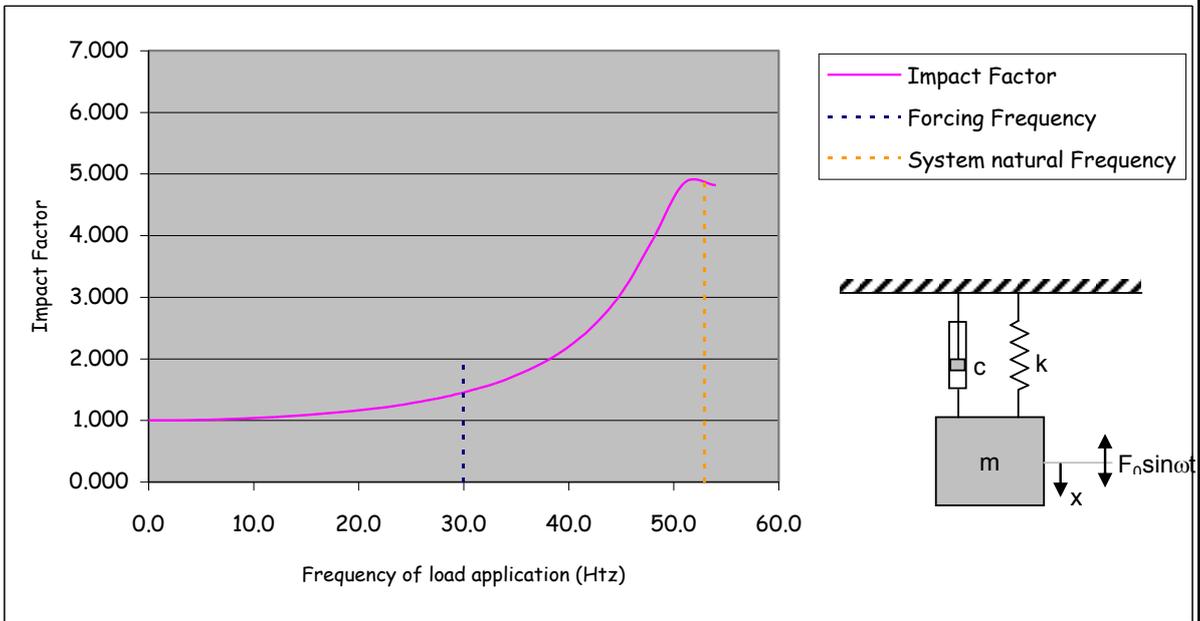
Impact Factor

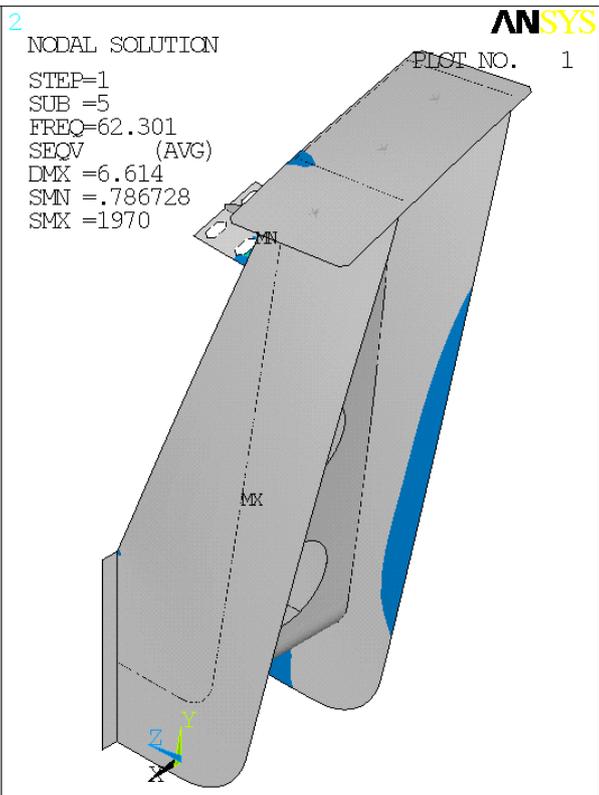
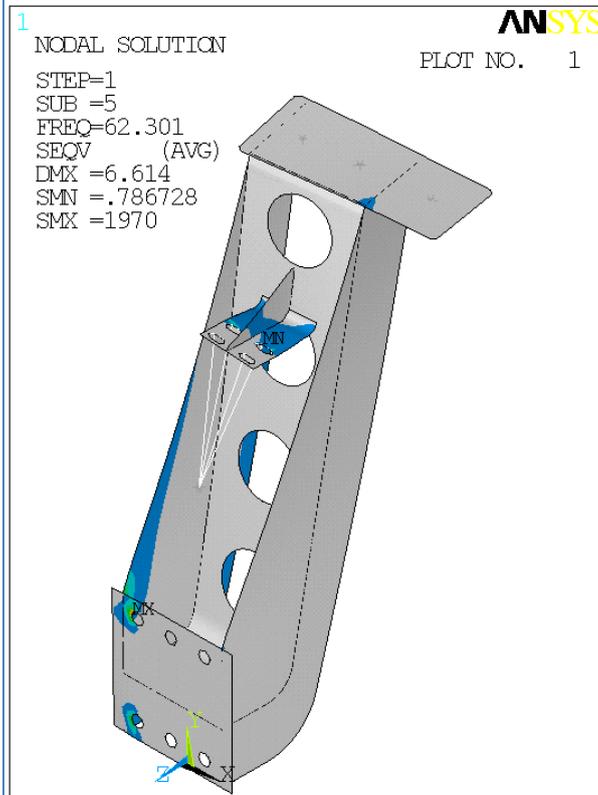
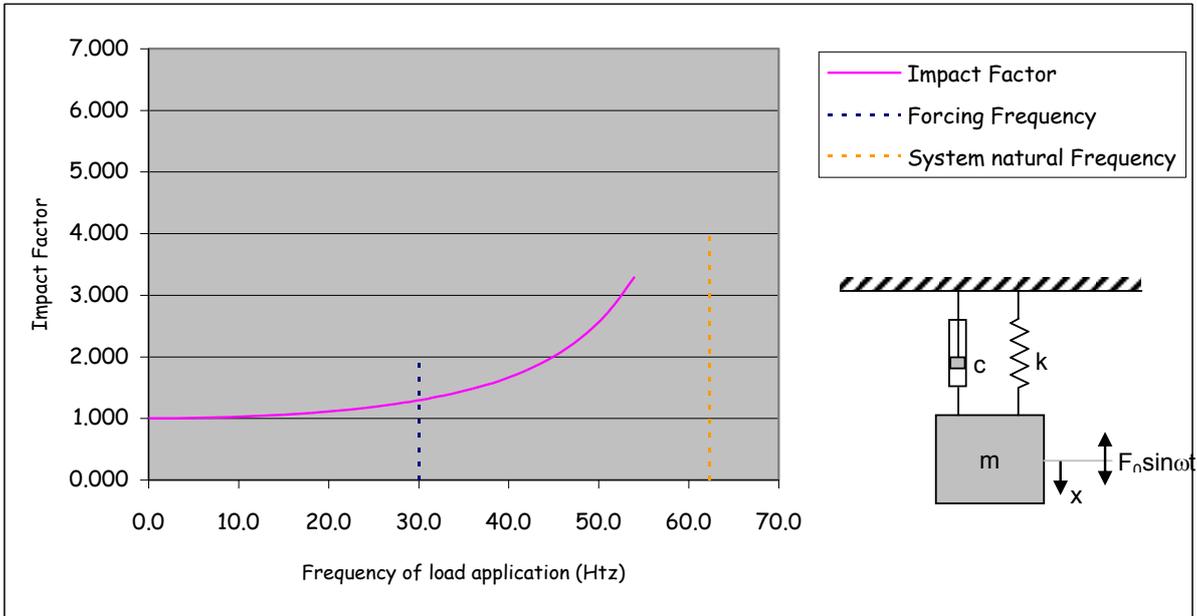
$$F_{\text{imp}} = 2.448 = \frac{x_w}{x_0}$$



Second mode close to hammer frequency of 30Hertz





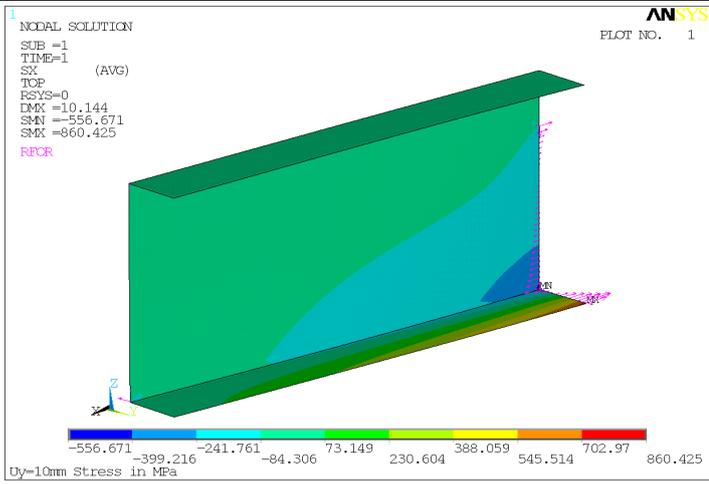


1.2 James's End Bracket Problem

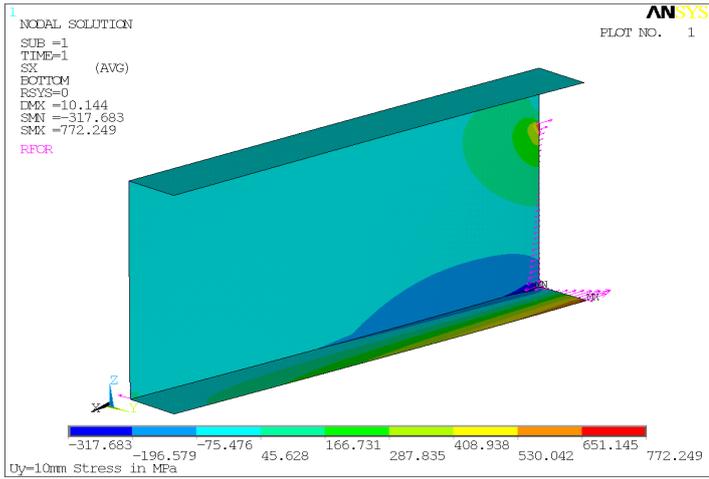
A cantilever beam welded to the main frame was cracking during manufacture of the frame.

SOLUTION: John Doyle discounted fatigue as the problem as cracks are observed during manufacture not in service. When a second part is attached using bolts at the end of the cantilever a displacement of around 10mm is imposed. John showed that the cantilever was so stiff that just a 2.5mm displacement would overload welds at the root of the cantilever. The connection could be reinforced at the cantilever root or the 10mm displacement could be minimised by redesign of the bolted joint.





$$\sigma_t = 860.425 \text{ MPa}$$



$$\sigma_b = 772.249 \text{ MPa}$$

$$\sigma_{dFE} = 816.337 \text{ MPa} = \frac{\sigma_t + \sigma_b}{2} = 118399.9 \text{ psi}$$

$$\sigma_{bFE} = 44.088 \text{ MPa} = \frac{\sigma_t - \sigma_b}{2} = 6394.435 \text{ psi}$$

$$\sigma_t = 860.425 \text{ MPa} = \sigma_{dFE} + \sigma_{bFE}$$

$$\sigma_b = 772.249 \text{ MPa} = \sigma_{dFE} - \sigma_{bFE}$$

Stress In Fillet Weld

1 Purpose of calculation

Calculate stress in a fillet weld from known plate stresses.

2 Calculation Reference

Calculated from first principles.

3 Calculation Validation

Cell formulae verified by XLC Addin.

4 Calculation Units

US Unit (in)



5 Sketch

plate thickness

$$t_p = 0.5 \text{ in}$$

Weld leg length

$$l_w = 0.5 \text{ in}$$

Weld fillet throat

$$t_w = 0.3535 \text{ in} = 0.707l_w$$

Weld shear to plate direct stress ratio

$$R_d = 0.70721358 = \frac{t_p}{2t_w}$$

Plate bending section modulus per unit length

$$Z_p = 0.04166667 \text{ in}^2 = \frac{t_p^3 / 12}{t_p / 2}$$

plate centre line to weld thickness centroid

$$y = 0.37496225 \text{ in} = \frac{t_p}{2} + \frac{0.707t_w}{2}$$

Weld bending section modulus (parallel axis theorem)

$$Z_w = 0.26509831 \text{ in}^2 = \frac{2t_w y^2}{y}$$

Weld shear to plate bending stress ratio

$$R_b = 0.1571744 = \frac{Z_p}{Z_w}$$

Deflection of Channel

$$\delta = 0.09756679 \text{ in} \quad 2.48\text{mm}$$

Plate direct stress

$$\sigma_d = 29,342 \text{ psi} = \sigma_{dFE} \cdot 145.038 \left(\frac{\delta}{10 / 25.4} \right) \quad 145.038 \text{ to convert from Mpa to psi}$$

Plate shear stress

$$\tau_p = 0 \text{ psi}$$

Plate bending stress

$$\sigma_b = 1,585 \text{ psi} = \sigma_{bFE} \cdot 145.038 \left(\frac{\delta}{10 / 25.4} \right)$$

Weld shear due to plate direct stress

$$\tau_{wd} = 20750.931 \text{ psi} = \text{abs}(\sigma_d R_d)$$

Weld shear due to plate shear stress

$$\tau_{ws} = 0 \text{ psi} = \text{abs}(\tau_p R_d)$$

Weld shear due to plate bending stress

$$\tau_{wb} = 249.069019 \text{ psi} = \text{abs}(\sigma_b R_b)$$

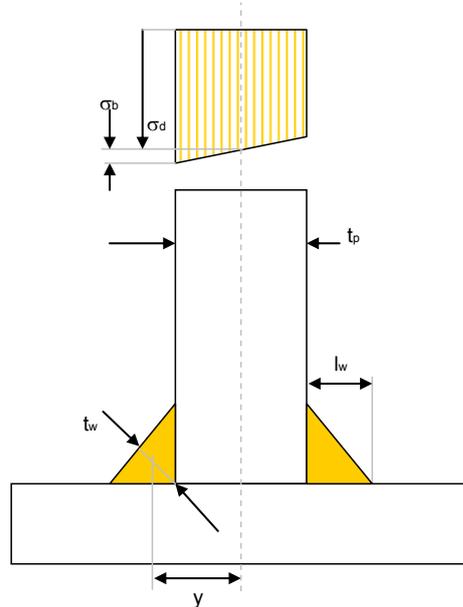
Total weld shear stress

$$\tau_w = 21000 \text{ psi} = \sqrt{(\tau_{wd} + \tau_{wb})^2 + \tau_{ws}^2}$$

Allowable weld throat shear stress

$$\tau_{wa} = 21000 \text{ psi}$$

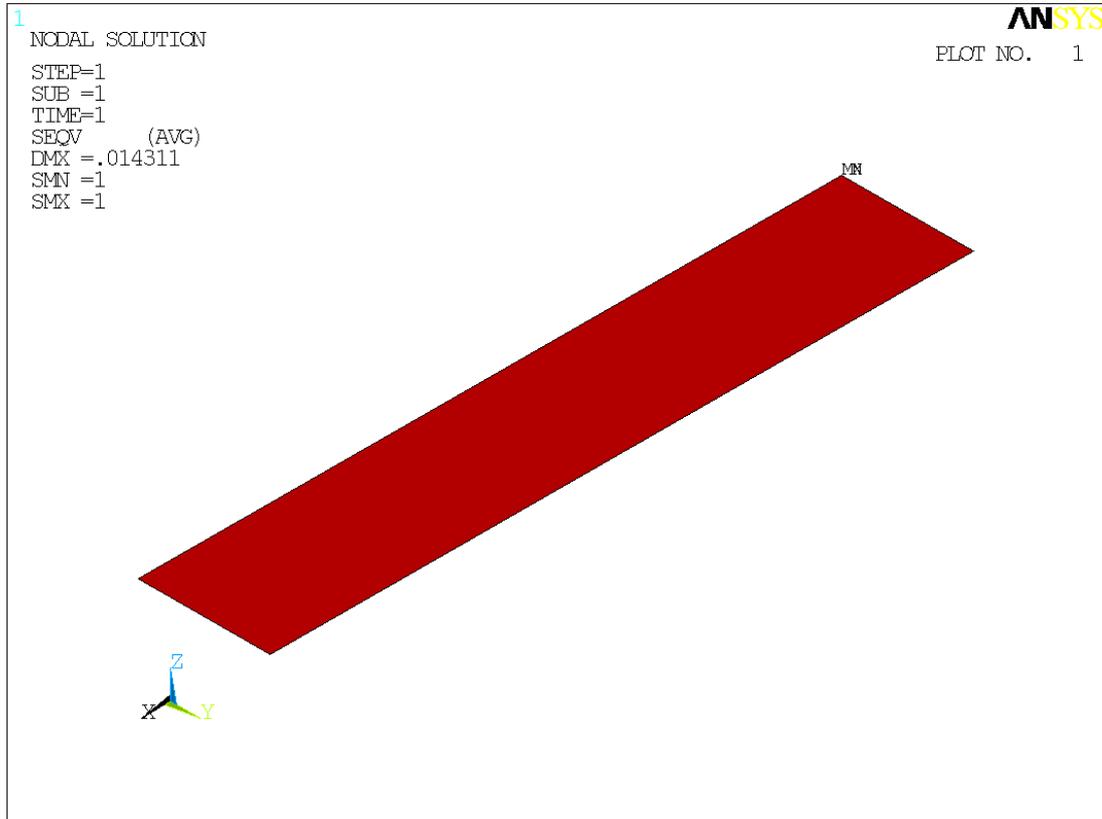
$$F_{D:C} = 100\% \text{ psi}$$



1.3 Steven's Main Frame Problem

A transverse member is welded to a longitudinal member which was cracking prematurely in service.

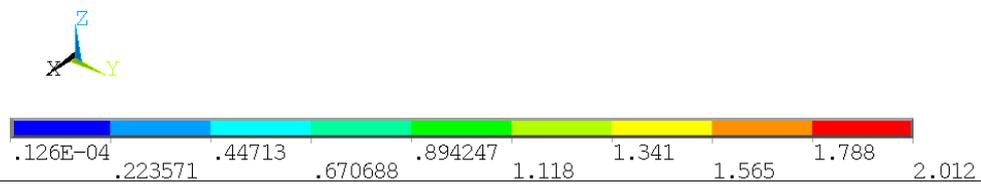
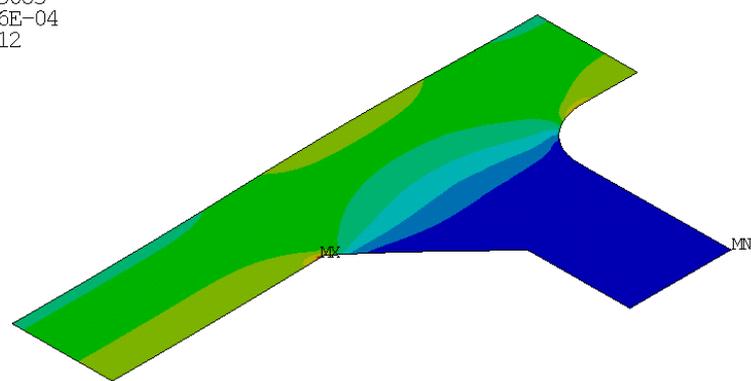
SOLUTION: John Doyle showed Steven how material could be removed so that the stress at the tip of the weld is reduced. Fatigue life is increased from 133,000cycles to an infinite life.



Flange with no transverse attachment – SCF = 1.000

Original Detail:

1
 NODAL SOLUTION
 STEP=1
 SUB =1
 TIME=1
 SEQV (AVG)
 DMX =.015085
 SMN =.126E-04
 SMX =2.012



Set the fatigue category using Table 2.4 AWS D1.1 2006 using the selector →

Fatigue category FatCat= E
 Fatigue constant from Table A-K3.1 $C_f = 1100000000$
 Threshold fatigue stress range $F_{TH} = 4.5 \text{ ksi [31MPa]}$
 Fatigue Index $i = 0.333$
 Reduction Factor (only cat C' & C'') $R = 1$
 Number of cycles to threshold $N_{TH} = 12,016,930 = C_f / ((F_{TH} / R)^{1/i})$

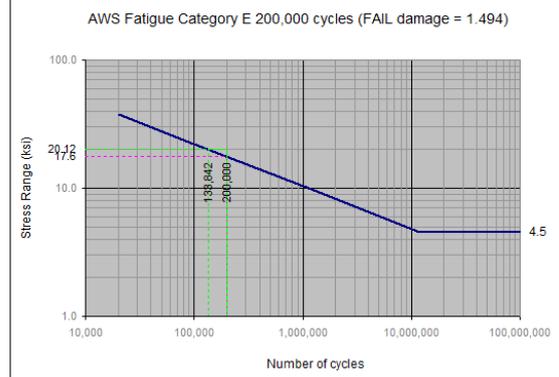
Calculate allowable stress range for a number of cycles

Number of stress fluctuations $n = 200,000$
 Allowable stress range $F_{SR} = 17.6 \text{ ksi} = R \left(\frac{C_f}{n} \right)^{1/i}$

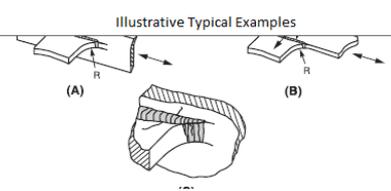
Calculate fatigue damage for a given stress and number of cycles

Applied Stress Range $F_{SRA} = 20.12 \text{ ksi}$
 Number of cycles to failure $N_f = 133,842 = C_f / ((F_{SRA} / R)^{1/i})$
 Fatigue Damage $D = 1.494 = \text{if}(F_{SRA} > F_{TH}, n / N_f, 0)$

6.4E Equal thickness loaded transverse member connection part per ground R.52in.



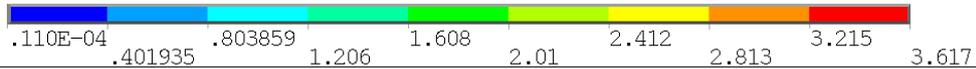
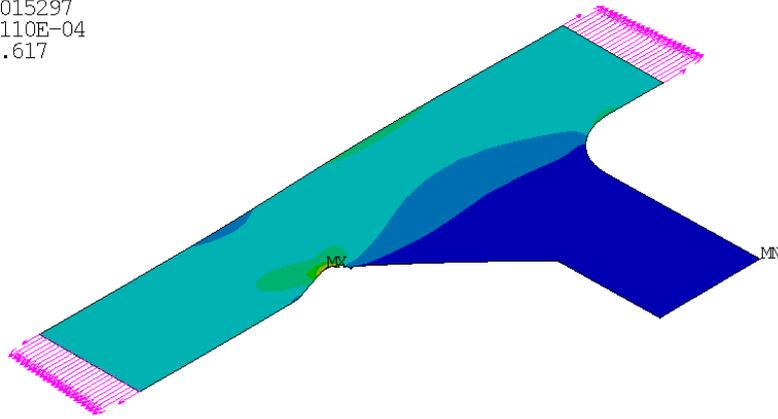
Description	Stress Category	Constant C_f	Threshold F_{TH} ksi (Mpa)	Potential Crack Initiation Point
stress at transverse members, with or without transverse stress, attached by fillet or PJP groove welds parallel to direction of stress when the detail embodies a transition radius, R, with weld termination ground smooth. R > 2 in. [50 mm] R ≤ 2 in. [50 mm]	D	22×10^8	7 [48]	In weld termination or from the toe of the weld extending into member
	E	11×10^8	4.5 [31]	



After Modification

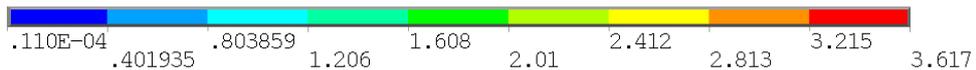
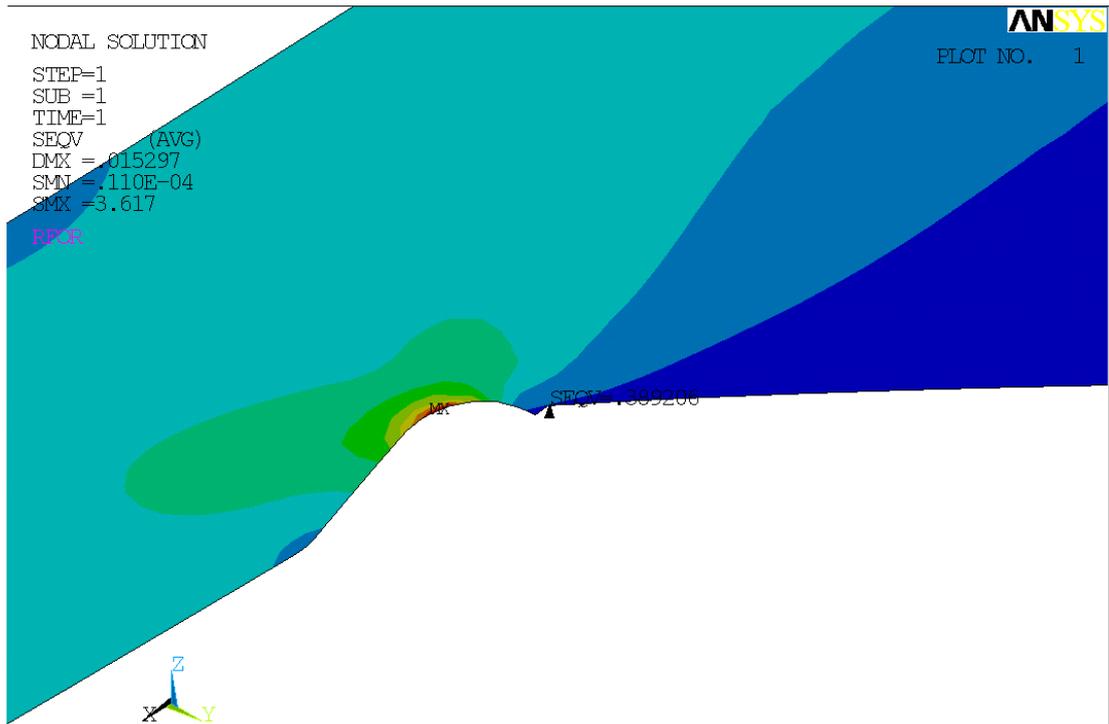
1
NODAL SOLUTION
STEP=1
SUB =1
TIME=1
SEQV (AVG)
DMX =.015297
SMN =.110E-04
SMX =3.617
RFOR

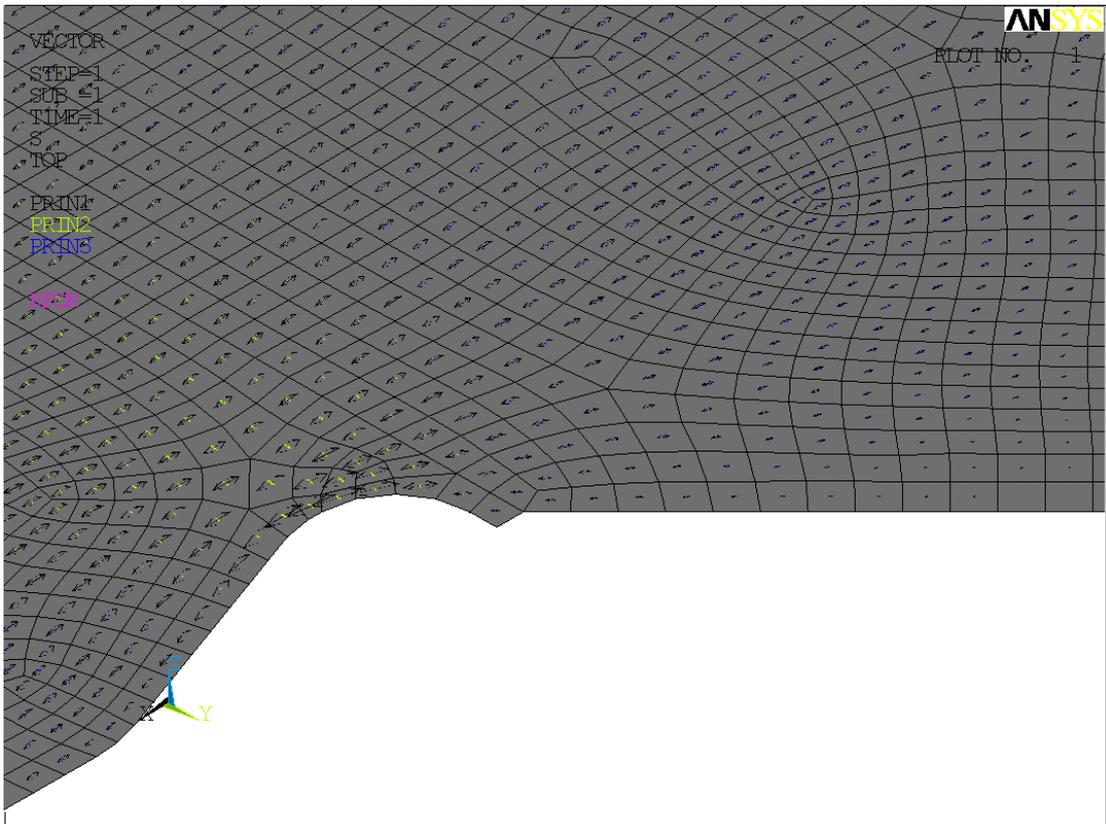
ANSYS
PLOT NO. 1



NODAL SOLUTION
STEP=1
SUB =1
TIME=1
SEQV (AVG)
DMX =.015297
SMN =.110E-04
SMX =3.617
RFOR

ANSYS
PLOT NO. 1





Set the fatigue category using Table 2.4 AWS D1.1 2006 using the selector →

Fatigue category FatCat= E
 Fatigue constant from Table A-K3.1 $C_f = 1100000000$
 Threshold fatigue stress range $F_{TH} = 4.5$ ksi [31MPa]
 Fatigue Index $i = 0.333$
 Reduction Factor (only cat C' & C'') $R = 1$
 Number of cycles to threshold $N_{TH} = 12,016,930 = C_f / ((F_{TH} / R)^{1/i})$

Calculate allowable stress range for a number of cycles

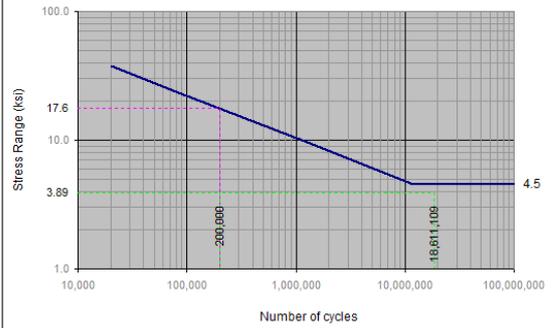
Number of stress fluctuations $n = 200,000$
 Allowable stress range $F_{SR} = 17.6$ ksi = $R \left(\frac{C_f}{n} \right)^i$

Calculate fatigue damage for a given stress and number of cycles

Applied Stress Range $F_{SRA} = 3.89$ ksi
 Number of cycles to failure $N_f = 18,611,109 = C_f / ((F_{SRA} / R)^{1/i})$
 Fatigue Damage $D = 0.000 = \text{if}(F_{SRA} > F_{TH}, n / N_f, 0)$

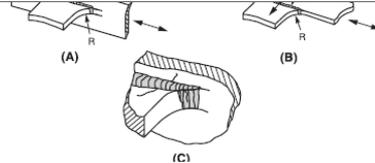
6.4E Equal thickness loaded transverse member connection part per ground R≤2in.

AWS Fatigue Category E 200,000 cycles (PASS damage = 0.000)



Description	Stress Category	Constant C_f	Threshold F_{TH} ksi (Mpa)	Potential Crack Initiation Point
stress at transverse members, with or without transverse stress, attached by fillet or PJP groove welds parallel to direction of stress when the detail embodies a transition radius, R, with weld termination ground smooth. R > 2 in. [50 mm] R ≤ 2 in. [50 mm]	D	22×10^8	7 [48]	In weld termination or from the toe of the weld extending into member
	E	11×10^8	4.5 [31]	

Illustrative Typical Examples



Check high stress in parent material – high stress but better fatigue detail. Fatigue damage only 0.383 compared to 1.494 in the original detail:

Set the fatigue category using Table 2.4 AWS D1.1 2006 using the selector →

Fatigue category	FatCat=	A
Fatigue constant from Table A-K3.1	$C_f =$	25000000000
Threshold fatigue stress range	$F_{TH} =$	24 ksi [165MPa]
Fatigue Index	$i =$	0.333
Reduction Factor (only cat C & C')	$R =$	1
Number of cycles to threshold	$N_{TH} =$	1,791,272 = $C_f / ((F_{TH} / R)^{1/i})$

Calculate allowable stress range for a number of cycles

Number of stress fluctuations	$n =$	200,000
Allowable stress Range	$F_{SR} =$	49.8 ksi = $R \left(\frac{C_f}{n} \right)^{1/i}$

Calculate fatigue damage for a given stress and number of cycles

Applied Stress Range	$F_{SRA} =$	36.17 ksi
Number of cycles to failure	$N_f =$	522,655 = $C_f / ((F_{SRA} / R)^{1/i})$
Fatigue Damage	$D =$	0.383 = $\text{if}(F_{SRA} > F_{TH}, n / N_f, 0)$

1.1 A Plain material smooth edge

AWS Fatigue Category A 200,000 cycles (PASS damage = 0.383)

Description	Stress Category	Constant C_f	Threshold F_{TH} ksi (Mpa)	Potential Crack Initiation Point	Illustrative Typical Examples
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Section 1—Plain Material Away from Any Welding

<p>1.1 Base metal, except non-coated weathering steel, with rolled or cleaned surface and rolled or flame-cut edges with ANSI smoothness of 1000 or less, but without re-entrant corners.</p>	A	250×10^8	24 [166]	Away from all welds or structural connections	<p>1.1/1.2</p>
<p>1.2 Non-coated weathering steel base</p>					

1.4 Tower Support Field Incident

Tower fall after failure of a weld.

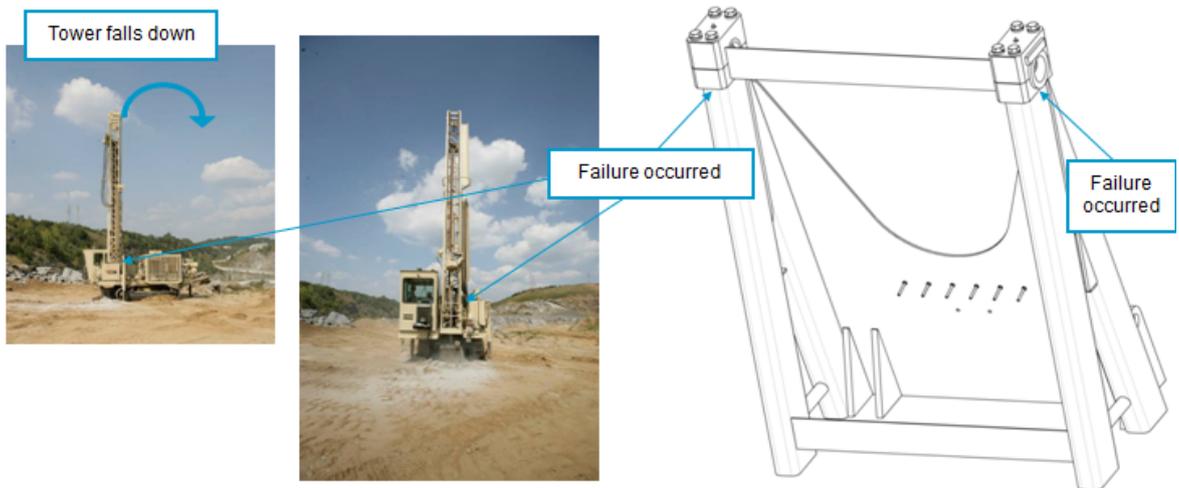
John Doyle prepared calculations which agreed with Atlas Copco's showing the weld to be adequate. The failure is attributed to either problems with weld quality or pin seizure giving rise to overloading the weld. It was suggested that these lines of enquiry were pursued.

Tower Support Failure

This is weld failure occurred as a result of improper tower pinning procedure.

The tower was in the raised position when the weld failed and then it fell to the horizontal position. No person was injured. Minor component damage.

The product design is under revision.



1.5 Luke's Rod Support Pin Failure



The failure surface was explained in terms of:

- 1) Crack initiation point at position of SCF in pin
- 2) Area showing fatigue striation marks evidence of crack growth under repeated loading.
- 3) Fast fracture area.

2 Conclusion

Given the type and nature of the problems presented it was concluded that all the course elements needed to be covered so that each problem could be diagnosed correctly.

- Weld Static Strength – see problem in section 1.2 & 1.4
- Classic Fatigue Problems – see problem in section 1.5
- Fatigue of Welded Structures – see problem in section 1.1 & 1.3
- Case Studies – problem in see section 1.1